ERRATA TO THE PAPER "LEFT INVARIANT COMPLEX STRUCTURES ON U(2) AND $SU(2) \times SU(2)$ REVISITED" (55 (2010), 4, 269–296)

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There were a number of errors due to the presence of lines ending with a sign =in the file transmitted by the author. These signs were unfortunately removed by the receiving decoding program.

The sign = is missing on (- stands for counting from the bottom of the page; we abbreviate page to p, after to aft, and equation to eq):

p 270 (line -13 aft \tilde{X}^{-});

p 271 (line 1 aft \tilde{X} , line 2 aft \tilde{X}^- , lines 19 and 20 aft e^{tJ_1} and e^{tJ_2} and e^{tJ_3}); p 272 (line 3 (eq 3) aft $R^{-1}JR$); p 273 (line 14 aft $\frac{R-S}{\xi_1^1}$, line 16 and 18 aft R);

p 274 (line 14 (Lemma 3 (ii)) aft $[\pi_j^i X, \pi_j^i Y]$, line 19-20 aft [JX, Y] and [X, JY], line -1 (Theorem 1 (i)) aft $\Phi^{-1}J\Phi$);

p 275 (line 5 (eq 5) aft $J(\xi)$, line 7 aft $R^{-1}J_1R$, line 8 aft $\Phi^{-1}J\Phi$, line 9 aft J_1); p 276 (line 2 (eq 6) aft $\Phi J \Phi^{-1}$, line 4 aft $\Phi J \Phi^{-1}$);

p 278 (line 7 (Lemma 4) aft $Aut(\mathfrak{su}(2) \oplus \mathfrak{su}(2))$, line -5 (last line in the proof of Lemma 4) aft $\begin{pmatrix} 0 & \Phi_2 \\ \Phi_3 & 0 \end{pmatrix}$, line -1 (eq 13) aft $\Phi^{-1}J\Phi$);

p 279 (line 2 (eq 14) aft $\Phi^{-1}J\Phi$, line 7 aft $[\pi_2^1 J_1^{(2)}, \pi_2^1 J_2^{(2)}]$, line 9 aft $[\pi_2^1 J_2^{(2)}]$,

p 219 (line 2 (eq 14) at $\chi = 0.1$, line 1 at $[\pi_2^{-1}J_1^{(2)}]$, line 1 at $[\pi_2^{-1}J_1^{(2)}]$, line 1 at $[\pi_2^{-1}J_1^{(2)}]$, line 5 (eq 15) aft J); p 280 (line 3 (eq 16) aft $J(\xi,\eta)$, line 9 aft $J(\xi',\eta')$ and the second occurrence of Φ , line 10 aft $\begin{pmatrix} 0 & 1 & 0 \\ -1 & 0 & 0 \\ 0 & 0 & \xi' \end{pmatrix}$ and $\begin{pmatrix} 0 & 1 & 0 \\ -1 & 0 & 0 \\ 0 & 0 & -\xi' \end{pmatrix}$, line 12 aft $\begin{pmatrix} 0 & 0 & 0 \\ 0 & 0 & 0 \\ 0 & 0 & \eta' \end{pmatrix}$, line 14 aft the first occurrence of Φ and aft $\Phi J(\xi, \eta) \Phi^{-1}$, line -3 aft $I_{a,c}$; p 281 (line -1 aft (a_i^i));

p 282 (line 1 aft $(\lambda_1, \mu_1, \nu_1)$ and $(\lambda_2, \mu_2, \nu_2)$, line 2 aft $F(\xi, \eta, (\lambda_1, \mu_1, \nu_1), (\lambda_2, \mu_2, \nu_2))$ (μ_2, ν_2) , line 3 aft $(\lambda'_2, \mu'_2, \nu'_2)$, line 5 aft $\mathfrak{X}_{\mathfrak{su}(2)\oplus\mathfrak{su}(2)}$, line 8 aft $G_{\epsilon}((a^i_j))$, line -4 aft J); p 283 (line 7 (Lemma 5) aft $Aut(\mathfrak{su}(2))^N$, line -9 and -8 (eq (22)) aft

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 $\begin{array}{l} J_{i}^{i}(M) \mbox{ and } J_{j}^{i}(M), \mbox{ line -1 aft } \xi_{3j}^{3i-1}); \\ p \ 284 \ (\mbox{line 3 aft } M, \mbox{ line -1 aft } \xi_{6}^{3}); \\ p \ 285 \ (\mbox{ line 2 (Lemma 6) aft } Aut (\mathfrak{u}(2) \oplus \mathfrak{u}(2)), \mbox{ line 4 and 5 aft } H \mbox{ and } \tau H, \\ \mbox{ line 10 (eq 23) aft } K(M) \mbox{ and } M, \mbox{ line -4 (eq 24) aft } G); \\ p \ 286 \ (\mbox{ line 3 (eq 25) aft } \Phi^{-1}J\Phi, \mbox{ line -8 aft } J, \mbox{ line -4 aft } \xi_{8}^{2} = 0.); \\ p \ 287 \ (\mbox{ line -3 aft } \tau_{1}, \mbox{ line -2 aft } \tau K(M')\tau); \\ p \ 288 \ (\mbox{ line 1 aft } G_{1} = \tau_{1}G, \mbox{ line 11 (Lemma 7) aft } Aut (\mathfrak{u}(2))^{N}, \mbox{ line 13 aft } U_{i}^{i} \\ \mbox{ and } U_{j}^{i}, \mbox{ line -5 (Theorem 5) aft } M_{j}^{i}); \\ p \ 289 \ (\mbox{ line 11 aft } \xi_{4j-1}^{4i-2} \mbox{ and } \xi_{4j-1}^{4j-2} \mbox{ and } \xi_{4i}^{4j-2}, \mbox{ line 16 (Corollary 8) } \\ \mbox{ aft } G_{i}^{i} \mbox{ and } G_{j}^{i}, \mbox{ line -2 aft } M' \mbox{ and } GMG^{-1}, \mbox{ line -1 aft } [P']); \\ p \ 290 \ (\mbox{ line 12 (eq (27)) aft } \tilde{X}_{1}^{-}f, \mbox{ line -7 (eq (29)) aft } u(s, \theta, \varphi, \psi) \mbox{ and } e^{\psi J_{3}}); \\ p \ 292 \ (\mbox{ line 1 aft } (H^{k}f)(z)); \\ p \ 293 \ (\mbox{ line -1 aft } (H^{k}f)(z)); \\ p \ 294 \ (\mbox{ line 7 aft } f(e^{i\theta}z)); \\ p \ 295 \ (\mbox{ line -7 aft } \tilde{X}_{3}^{(1)^{-}}). \end{aligned}$

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